
Lecture 31 iq27

Demo: Levitation of a cubic magnet

Jumping ring

Falling magnet within a metal tube

A simple Faraday's law demo

Comments from Faraday's learning module.

1. Demo with a magnet, a solenoid and a galvanometer

- Galvanometer readings due to increasing/decreasing of the magnetic flux.
- Increasing magnetic flux (out of the paper) leads to a CW curly induced E-pattern.

2. Lenz law: Current loop has magnetic inertia. Change of magnetic flux is canceled by the Bind (induced magnetic field) contribution.

3. Falling magnet (clicker 30-3)

4. Jumping ring

5. Levitation of a magnet IQ 31.3.1

6. Clicker 30.1 Evaluate $-\frac{d\phi}{dt}$

7. One more exercise: IQ31.4.1

Concluding line in LM comments

Announcement:

Re: Adjustment on present lesson plan

Our lectures are slightly behind our original lesson plan. The updated lesson plan is as follows.

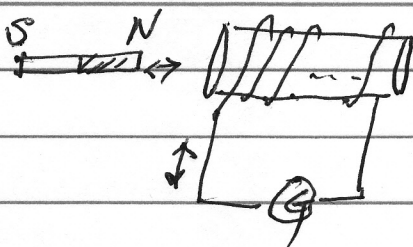
- Postpone the due date of ch23.h2 from this coming Sunday to next Tuesday.
- Due dates of ch23.h3 and ch24.h1 will be on the Wednesday of the following week. (Using present lesson plan notation, it is "W")
- Ch24.h2, ch24.h3 on Su.
- Ch24 h4, ch24.h5 on W
- Ch25-h1 on Su

Midterm3 will now cover the exam materials only through ch23-h2. Notice that the inductance and the LR circuit are covered in ch23-h2. They will be included in the exam. On the other hand problems which involve LC circuits only appear in ch23-h3. They will not be included in this exam.

ig21

Lec 31-1

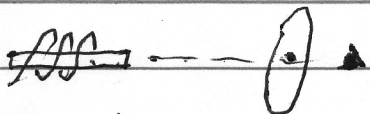
Demo: Levitation of a cubic magnet
 Jumping Ring
 Falling magnet in a metal tube
 Simple Faraday's law demo



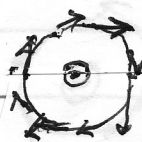
Flux Φ_B through 1 loop: $\Phi = BA$



Change of magnetic flux defined by the solenoid $\Rightarrow$ Induce emf



Side View



$\Phi_B \odot, \uparrow$

Fig 23.4

Increasing mag. flux $\odot \Rightarrow$ CW Ind.

$$\text{Faraday's Law } \oint \mathbf{E} \cdot d\mathbf{l} = - \frac{d\Phi_B}{dt}$$

Direction: $\langle \mathbf{E}_{ind} \rangle$, CW

RHS: $\langle -\frac{d\Phi}{dt} \rangle = - \langle \Delta \Phi \rangle = \text{"Opposes the change?"}$

Lenz's Law: Current loop has magnetic inertia

It has the tendency to maintain its flux status

Initial: 10 lines out

Loop responds by generating B_{ind} , i.e.

next: 12 lines out

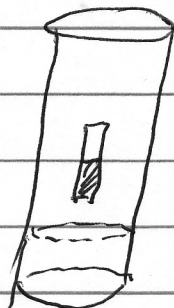
2 lines in to maintain original 10 line out status.

$\therefore I_{ind} \odot \Rightarrow E_{ind}$ CW.

Applications: Falling magnet in a metal tube.

Demo: The falling magnet moves slowly.

Clicker 30-3 Do the current below the magnet.



You will do the case where loop is above magnet.

The loop has magnetic induction:

Now: 3 lines $\downarrow$

Next: 3 lines $\downarrow$

Loop generates B_{in} , 2 lines up to maintain original 3 lines
Status: $\therefore B_{in} \uparrow$ opposing the fall

I_{ind} CCW. Or E_{ind} CCW pattern.

Just turns upper loop.



Now 3 lines $\downarrow$

Next: 1 line $\downarrow$

Ans=3

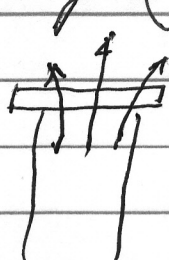
Loop generates B_{in} : $\downarrow$ 2 lines $\therefore B_{in} \downarrow$ $\downarrow$
It attracts falling magnet

$\therefore$ Loop below opposes its fall (by repulsion)
Loop above " " (by attraction).

$\therefore$ It takes a long time to fall.

Jumping Ring has current (so has magnetic inertia).
Initial flux = 0. After turn on B of the solenoid
the ring jumps away to maintain its flux status.

Understanding the force lifting the ring

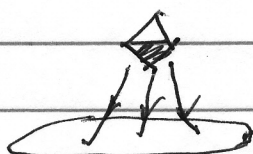


Induced magnet



Stronger lifting force

Levitation Fig 31.3.1

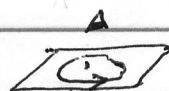


Direction of induced current -

Initial 5 lines ↓

Next 6 lines ↓

B_{in} grows ↑

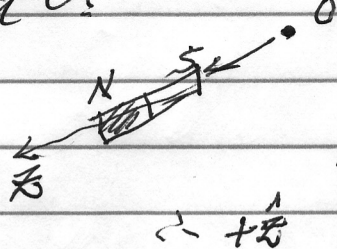


CCW

Fig 30.1

Read: $\langle -\frac{d\phi}{dt} \rangle$

At 0.



B_{in} ↓

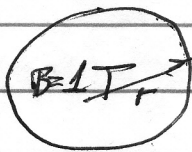
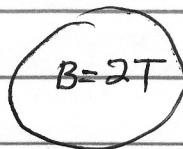
↑ +

Initial 3 lines ↓

Next 4 lines ↓

Dir of induced current at A -

31-4

Magnitude of $\left| \frac{d\phi}{dt} \right|$ At $t_1=0$, $B_1=1T$; $t_2=2\text{ sec}$, $B_2=2T$. $t=0$  $t=2\text{ sec}$

$$r=1\text{ m}$$

$$\text{Find: } \left| \frac{d\phi}{dt} \right| = \left| \frac{B_2 A - B_1 A}{t_2 - t_1} \right| = \frac{(2 \times \pi \times 1^2 - 1 \times \pi \times 1^2)}{2 - 0}$$

$$A = \pi r^2,$$

$$= \frac{\pi}{2} \text{ Volts},$$

$$2\pi r E = \frac{\pi}{2}, \quad E = \frac{\pi/2}{2\pi \cdot 1} = \frac{1}{4} \text{ Volts/m}$$

Dir: initial: $\pi \otimes$ final: $2T \otimes$ Dir: $\pi \otimes$ I_{in} ccw.

Lenz has taken use of current loop

Faraday's Law is more general it works
for imaginary loop with the wire ropes
the special case.